

Video: Flapping Geese	Video: Albatross Courtship Ritual	Video: Prokaryotic Flagella	
and a state			 A uniform dispersion is one in which individuals are evenly distributed It may be influenced by social interactions such as territoriality, the defense of a bounded space against other individuals
0.2014 Person Education, Inc.	18 0 2014 Parson Education, Inc.	19 0.2014 Passes Education, Inc.	20 © 2014 Planson Education, Inc.
	Demographics	Life Tables	Table 53.1
 In a random dispersion, the position of each individual is independent of other individuals It occurs in the absence of strong attractions or repulsions 	 Demography is the study of the vital statistics of a population and how they change over time Death rates and birth rates are of particular interest to demographers 	 A life table is an age-specific summary of the survival pattern of a population It is best made by following the fate of a cohort, a group of individuals of the same age The life table of Belding's ground squirrels reveals many things about this population For example, it provides data on the proportions of males and females alive at each age 	Table 31. Us fashe for Eddary's Ground Spainnek (Spannaphila behling) at Tiopa Pas, in the Siara Breake at California Image: Spain and Spainnek (Spannaphila behling) at Tiopa Pas, in the Siara Breake at California Image: Spain at Spain
21 0.2114 Passion Education, Inc.	22 6 2714 Parents Education, Inc.	23 0.2314 Papara Education, Inc.	24 0 2014 Planete Education, Inc.
Table 53.1 Life Table for Belding's Ground Squirrels	Table 53.1b	Table 53.1c	Table 53.1 d
FEMALES Age (years) Number Start of Year Number of Deaths Pearly Vear Average Additional Life During Vear Average Additional Life Deaths Pearly Vear 0-1 337 1.000 207 0.61 1.33 1-2 252' 0.386 125 0.50 1.56 2-3 127 0.197 60 0.47 1.60 3-4 67 0.106 32 0.48 1.59 4-5 35 0.054 16 0.46 1.59 5-6 19 0.029 10 0.53 1.50 6-7 9 0.014 4 0.44 1.61 7-8 5 0.008 1 0.20 1.50 8-9 4 0.006 3 0.75 0.75 9-10 1 0.002 1 1.00 0.50 26	mathematical states of the set of the	2211 маят	<image/> <caption></caption>
 Survivorship Curve is a graphic way of representing the data in a life table The survivorship curve for Belding's ground squirrels shows a relatively constant death rate 	<figure><figure><figure><figure><figure></figure></figure></figure></figure></figure>	 Survivorship curves can be classified into three general types Type I: Low death rates during early and middle life and an increase in death rates among older age groups Type II: A constant death rate over the organism's life span Type III: High death rates for the young and a lower death rate for survivors Many species are intermediate to these curves a 	<caption><figure><figure><figure><figure></figure></figure></figure></figure></caption>







 Table 53.3
 Logistic Growth of a Hypothetical Population

(K - N)

к

0.98

0.93

0.83

0.67

0.50

0.33

0.00

Per Capita Rate

of Increase: (K – N)

0.98

0.93

0.83

0.67

0.50

0.33

0.00

к

rinst

Population

Growth Rate:* $r_{\rm inst}N = \frac{(K - N)}{(K - N)}$

+25

+93

+208

+333

+375

+333

0

κ

(K = 1,500)

Maximum

Rate of

Increase

(rinst)

1.0

1.0

1.0

1.0

10

1.0

1.0

*Rounded to the nearest whole number

Popu-

lation

Size

(N)

25

100

250

500

750

1.000

1,500

Figure 53.11

Concept 53.3: The logistic model describes how a population grows more slowly as it nears its carrying capacity

- Exponential growth cannot be sustained for long in any population
- A more realistic population model limits growth by incorporating carrying capacity
- Carrying capacity (K) is the maximum population size the environment can support
- · Carrying capacity varies with the abundance of limiting resources

The logistic model of population growth produces

New individuals are added to the population most

rapidly at intermediate population sizes

800 Number of

600

400

200

• The population growth rate decreases as N

a sigmoid (S-shaped) curve

approaches K

Figure 53.11a

The Logistic Growth Model

- In the logistic population growth model, the per capita rate of increase declines as carrying capacity is reached
- The logistic model starts with the exponential model and adds an expression that reduces per capita rate of increase as N approaches K

 $\frac{dN}{dt} = r_{\text{inst}} N \frac{(K-N)}{K}$





Figure 53.11b



- When N is small compared to K, the term (K–N)/K is close to 1 and the per capita rate of increase approaches the maximum
- When *N* is large compared to *K*, the term (*K*–*N*)/*K* is close to 0 and the per capita rate of increase is small
- When N equals K, the population stops growing

The Logistic Model and Real Populations

- The growth of laboratory populations of paramecia fits an S-shaped curve
- These organisms are grown in a constant environment lacking predators and competitors

 Some populations overshoot K before settling down to a relatively stable density



· Some populations fluctuate greatly and make it difficult to define K

- Some populations show an Allee effect, in which individuals have a more difficult time surviving or reproducing if the population size is too small
- The logistic model fits few real populations but is useful for estimating possible growth
- Conservation biologists can use the model to estimate the critical size below which populations may become extinct

61

62

(a) A Paramecium population in the lat

10 15

50

63

Time (days)









